



Warm-up exercises:
pg 25, #1-9 (top of page)

① $\frac{1}{9}, \frac{1}{27} \div 3$

② $49, 56 + 7, +8$

③ pt G

④ Any 3pts are coplanar (Post 1-4)

⑤ Intersect

⑥ Skew

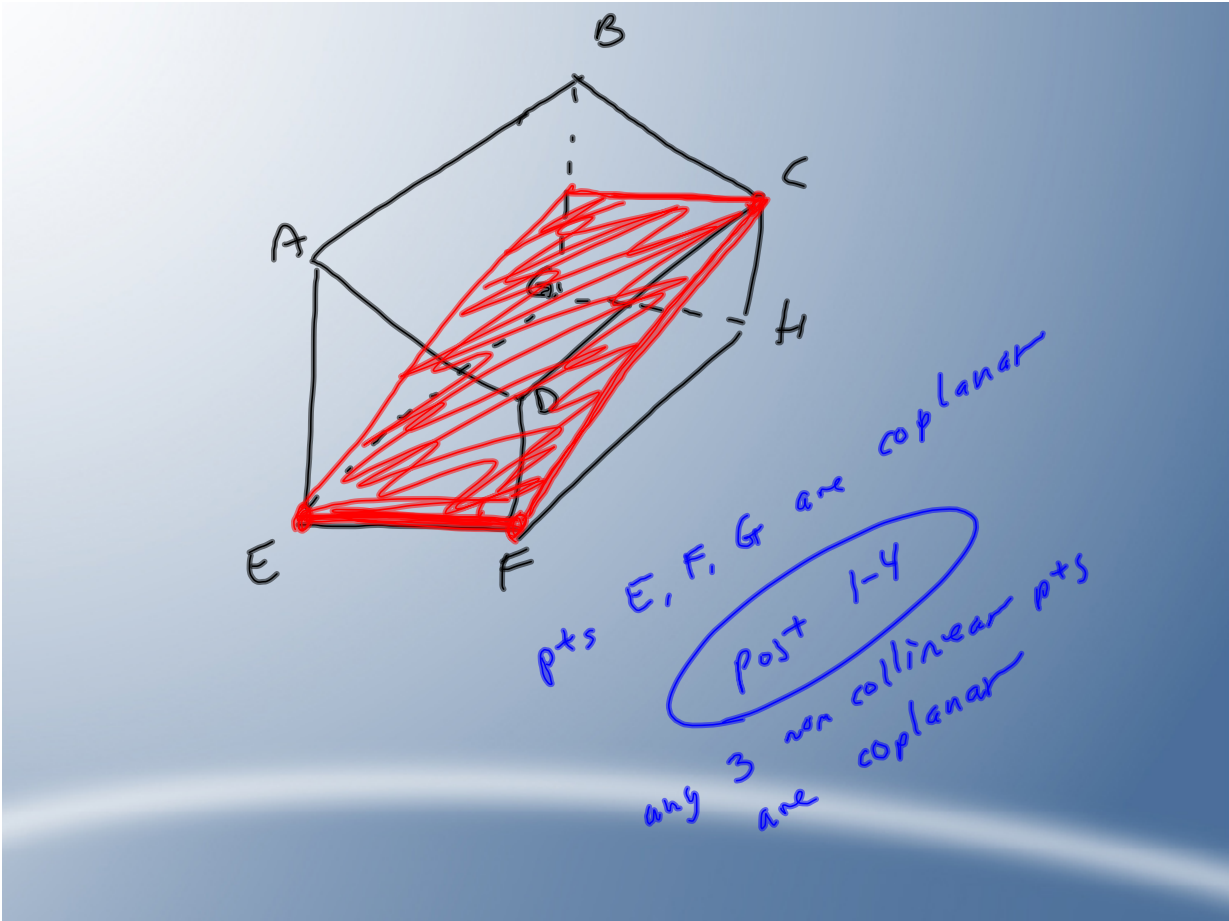
⑦ Parallel

⑧ Sometimes

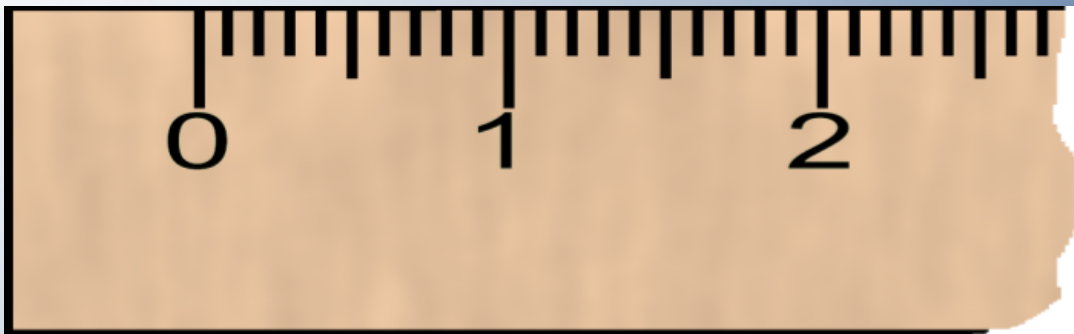
always

either
answer
ok

⑨ Always



Consider the following section of a ruler showing 1" and 2"...



How many points are there btwn the 1" and the 2" marks?



What would you say is the distance btwn pt A and pt B?

A

B

about 1"
line up points w/ruler...

A Quick digression ... What does it mean that 2 things correspond?

- To be ***similar***, to ***match***, to have an ***obvious relationship***

Do 2 things that correspond have to be exactly alike?

- Nope...

Can 2 things that correspond be exactly alike?

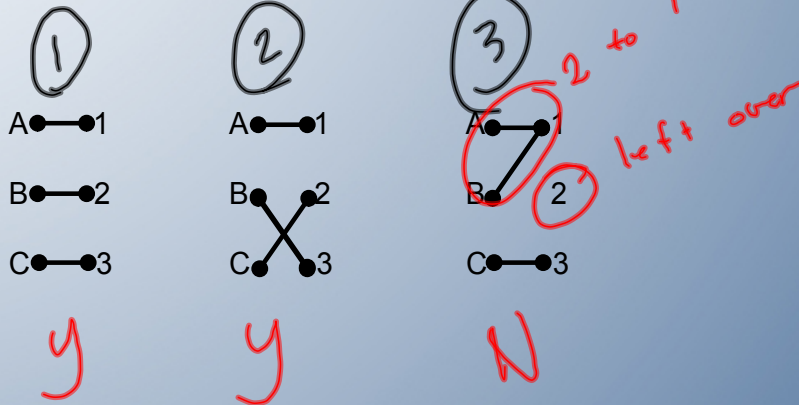
- Yup...
- ...in fact this is a special relationship that is very interesting...
- ...in math we have a special name for this type of correspondence...

One-to-one correspondence

- Can pair **every** item in 1 set...

...with **one and exactly one** item in another set...

...with **none** left over.



Postulate 1-5 (the Ruler Postulate)

- There's a 1-to-1 correspondence btwn the real number line and the pts on a line.
- Translation...

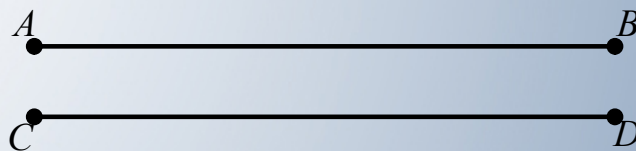
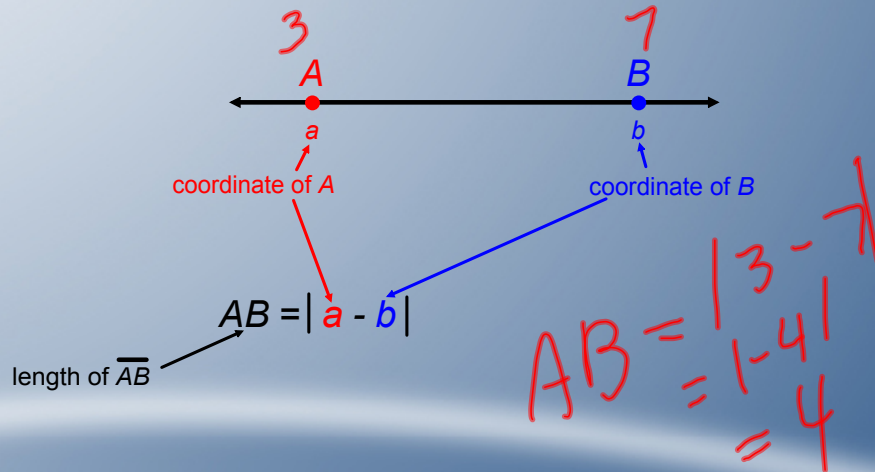
...basically just gives us permission to measure the length of a segment.

Segment Length

- Represent length (len) of segment (seg) \overline{AB} as AB .

...no bar above the letters.

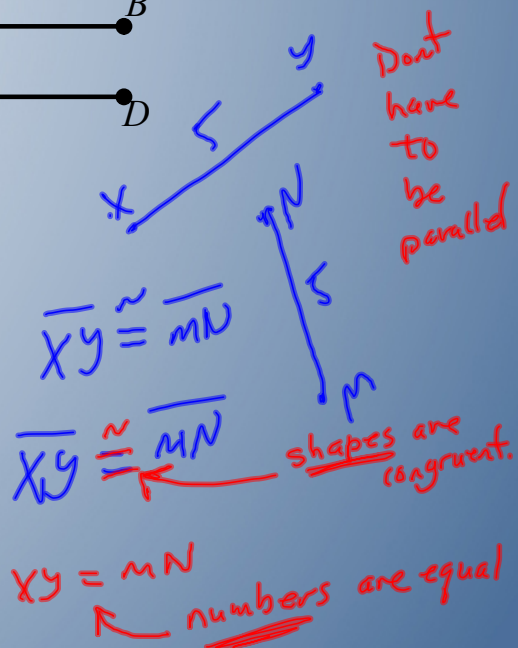
...basically just gives us permission to measure the length of a segment.

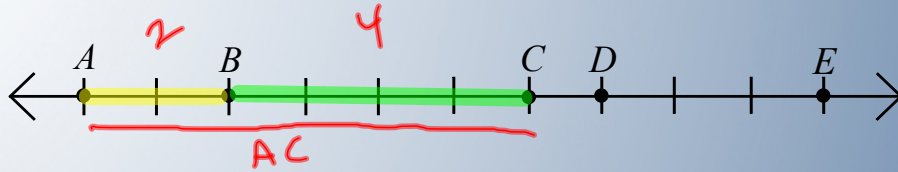


What can you say about \overline{AB} and \overline{CD} ?

Congruent Segments

- Segs of equal len
- Represented by symbol \cong
- If $AB = CD$ then $\overline{AB} \cong \overline{CD}$
- Segs of equal len are congruent





Consider \overline{AB} , \overline{BC} and \overline{AC} ... how do they relate?

- In math:

$$2 + 4 = 6$$

$$AB + BC = AC$$

- In English:

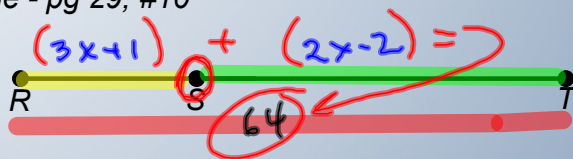
The sum of the lengths of segments \overline{AB} and \overline{BC} equals the length of segment \overline{AC} .

Post Seg Add Post

Postulate 1-6 (Segment Addition Postulate)

- If pt B is on \overline{AC} btwn pts A & C , then $AB + BC = AC$.
- ...basically gives us permission to combine segments or add their lengths.

Example - pg 29, #10



If $RS = 3x + 1$, $ST = 2x - 2$, $RT = 64$

- what is x ? $= 13$
- what is RS ? $= 3(13) + 1 = 40$
- what is ST ? $= 2(13) - 2 = 24$

Seg Add Post

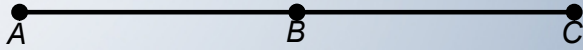
$$(3x+1) + (2x-2) = 64$$

$$5x - 1 = 64$$

$$5x = 65$$

$$x = 13$$

Consider the following:

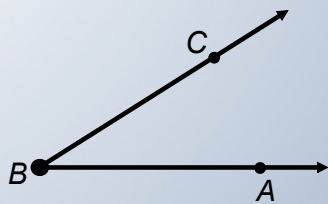


If $AB = BC$ what would you call pt B?

Midpoint of a segment

The pt that divides the seg into 2 \cong segs

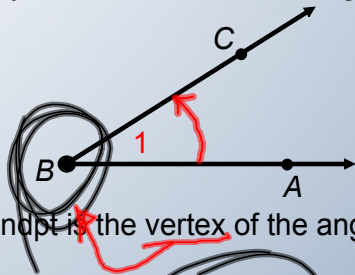
What would we have if 2 rays shared the same endpt but weren't collinear?



An Angle!

Angle

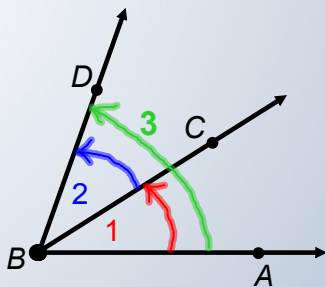
- 2 rays that share a common endpoint provided they do not lie on the same line.
- The rays are the sides of the angle.



- The endpoint is the vertex of the angle.
- Represented symbol \angle
- Named by (see above diagram):

- The 3 pts defining the rays: $\angle ABC$ (vertex always in the middle!)
- By the vertex (if there is no ambiguity): $\angle B$
- Can also number the \angle and refer it by the number: $\angle 1$

vertex in middle
 $\angle ABC$
 $\angle 1$
 $\angle B$ ← only if unambiguous
 by vertex



~~$\angle B$~~ which one do we mean?
 $\angle 1$ or $\angle ABC$

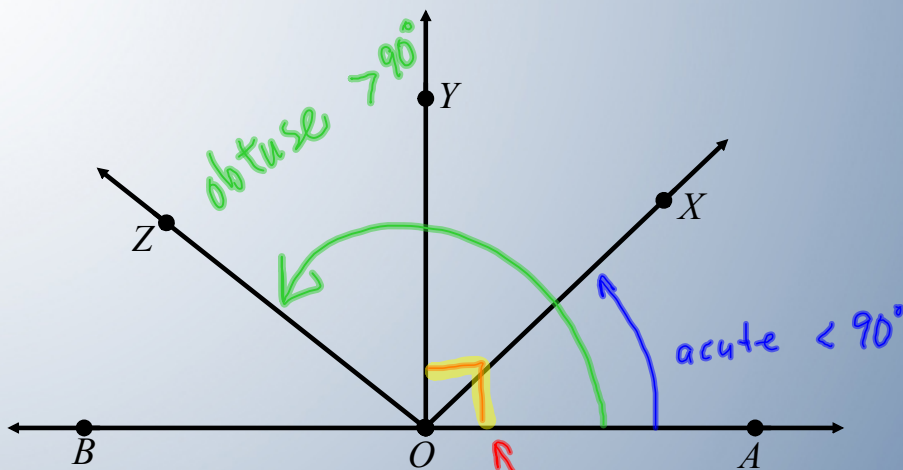
Does it make sense to name any of the 3 angles $\angle B$?

Postulate 1-7 (the Protractor Postulate)

- Simply gives us permission to ...

...measure \angle 's

- We note the **measure of $\angle COD$** as **$m\angle COD$**



Types of angles

Acute $< 90^\circ$

Right $= 90^\circ$

Obtuse $> 90^\circ$

Straight $= 180^\circ$

Straight $\angle = 180^\circ$

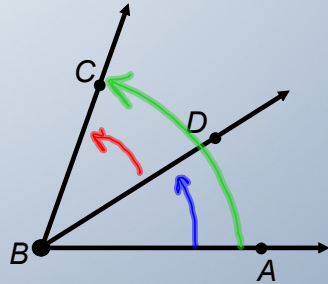
right \angle symbol
 $= 90^\circ$

Postulate 1-8 (the Angle Addition Postulate)

∠ Add Post

- If pt D lies in the interior of $\angle COD$,

then $m\angle ABD + m\angle DBC = m\angle ABC$



* Gives us permission to add the measures of \angle 's
* Similar to Seg Add Post

$$\angle COD \cong \angle DEF$$

Congruent angles

Angles that have the same measure

If $m\angle COD = m\angle FGH$, then $\angle COD \cong \angle FGH$

L1.4 HW Problems

Pg 29, #1-35 odd,

43-49 odd,

60, 66, 70-72, 75-78